

A modified BESS model as the effective description of strong electroweak symmetry breaking

Mikuláš Gintner^{abc}, Josef Juráň^{*c} and Ivan Melo^a

^a*Physics Department, University of Žilina, Žilina, Slovakia*

^b*Science and Research Institute, Matej Bel University, Banská Bystrica, Slovakia*

^c*Inst. of Experimental and Applied Physics, Czech Technical University, Prague, Czech Republic*

E-mail: gintner@fyzika.uniza.sk, josef.juran@utef.cvut.cz,

melo@fyzika.uniza.sk

Facing the plethora of alternative hypotheses for the mechanism of electroweak symmetry breaking (ESB) it is highly desirable to typify its phenomenology using the effective Lagrangians. The BESS (Breaking Electroweak Symmetry Strongly) model is one of them. The model couples the vector resonances universally to all Standard model (SM) fermion generations. We have modified the model by allowing direct interactions of the vector triplet with the third quark generation only. This is motivated by the extraordinary mass of the top quark which is close to the ESB scale. In addition, we have introduced new Lagrangian terms admitted by the model's symmetries. Our modifications of the BESS model can significantly relax the low-energy limits on the original BESS model's parameters. Further, due to the modifications the new vector resonances became narrower. Here, we present the new model's basic phenomenology and compare it to the original BESS model.

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^{*}Speaker.

One essential component of the SM remains a puzzle: the actual mechanism behind the ESB. The Higgs scalar field of a non-zero vacuum expectation value serves as a benchmark hypothesis for the mechanism. Alternative extensions of the SM range from supersymmetric theories with multiple elementary Higgs bosons in their spectra to the theories of new strong interactions which might form bound states of new elementary particles. In addition, a dual-description relation of the extra-dimensional theories to the models of dynamical ESB has entered the scene (see [1] and references therein).

The BESS model [2] effectively describes a Higgsless ESB mechanism accompanied by a hypothetical strong triplet of vector resonances V_μ^a . The effective description introduces two new free parameters: g'' , which is the $SU(2)_V$ gauge coupling, and α . The masses of the neutral and charged resonances depend on the parameters, see Fig. 1. Therein we consider the fixed values of

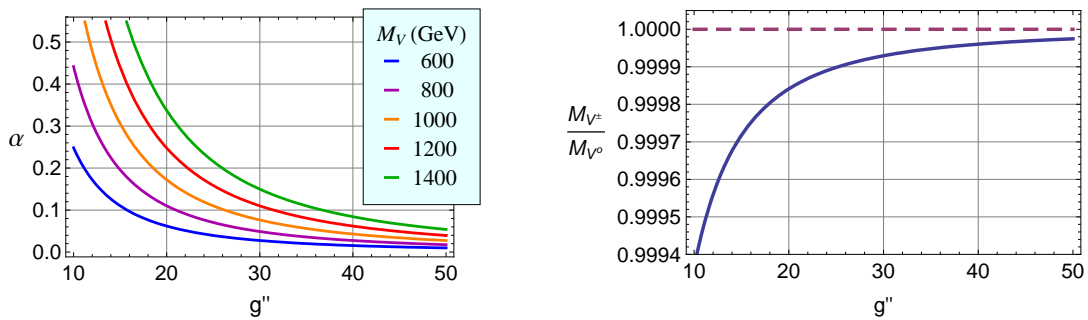


Figure 1: On the left: The relations between α and the $SU(2)_V$ gauge coupling g'' at various fixed masses of V . On the right: The splitting of the M_{V^\pm} -to- M_{V^0} degeneracy as a function of g'' .

the Z and W masses as taken from experiment. To compensate for the non-SM corrections to M_Z and M_W the parameters ν , g , and g' vary slightly with g'' .

Beside the indirect interactions of the vector resonances to the SM fermions induced by the mixing of V with the SM gauge bosons, the BESS model [2] couples V directly and universally to all SM fermion generations of a given chirality. The direct interactions are parameterized by two free parameters, b for the left fermions, and b' for the right fermions. The low energy measurements imply the following limits: $b \lesssim 0.01, b' \approx 0$.

We have modified the BESS model [2] by allowing direct interactions of V with the third quark generation only [3]. This is motivated by the extraordinary mass of the top quark which is close to the ESB scale. Thus in our model there are no direct interactions of V to either leptons or to u, d, c, s quarks. The direct interaction of V to the left (t, b) doublet is parameterized by the coupling b_1 while the direct interaction to t_R is parameterized by b_2 . The direct interaction to b_R is further modified by a tuning parameter p , $0 \leq p \leq 1$. In addition, we have introduced new Lagrangian terms admitted by the model's symmetries, thus introducing two additional parameters λ_1 and λ_2 for left and right (t, b) doublets, respectively. The low energy experiment limits read: $g'' \gtrsim 20$, $-0.003 < b_1 - \lambda_1 < 0.01$, and either $|b_2 - \lambda_2| < 0.008$ assuming $p = 1$ or $-0.03 < b_2 - \lambda_2 < 0.04$ if $p = 0$. While λ terms help to relax the low-energy limits on the parameters of the model we have found that their influence on observables at $E \sim M_V$ is negligible.

The vector resonances decay dominantly to the SM gauge bosons and/or to the third generation of quarks. In Fig. 2 we show the total decay widths of V . The plots of the partial decay widths

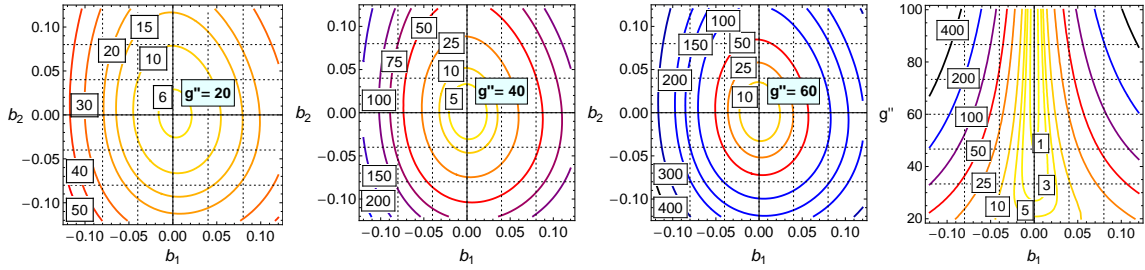


Figure 2: The *our model* total decay width contours of V^0 in the (b_1, b_2) parametric space at various values of g'' , and of V^\pm in the (b_1, g'') parametric space. The contour labels indicate the widths in GeV.

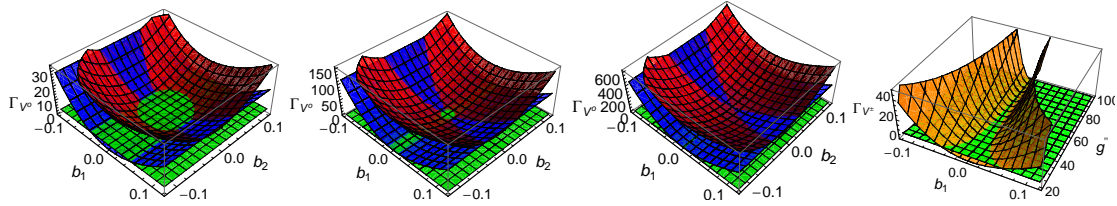


Figure 3: The *our model* partial decay widths of V^0 as functions of b_1 and b_2 at $g'' = 25, 50, 100$, from the left to the right, respectively, and of V^+ as functions of b_1 and g'' . For V^0 , the green, blue, red surfaces correspond to the W^+W^- , $b\bar{b}$, $t\bar{t}$ channels, respectively. For V^+ , the green, orange surfaces correspond to the W^+Z , $t\bar{b}$ channels, respectively. The partial decay widths are in GeV.

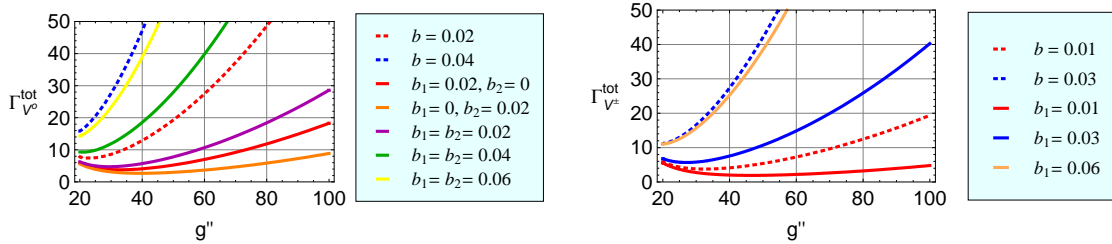


Figure 4: Differences between the original (dotted) and modified (solid) BESS models demonstrated through the total decay widths of V^0 and V^\pm (in GeV). The modifications have made the resonances slimmer.

are shown in Fig. 3. Finally, we compare the original and modified BESS models through the total decay widths of V^0 and V^\pm in Fig. 4. In Figs. 2 – 4 we have assumed $M_{V^0} = 1$ TeV and $p = 0$.

Our preliminary calculations not shown here suggest the potential of some of the LHC processes to detect the new vector resonances. However, a more realistic analysis is needed.

References

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