

Simulation Studies for a Surface Veto Array to Identify Astrophysical Neutrinos at the South Pole

The IceCube-Gen2 Collaboration[†]

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Motivated by the discovery of high-energy astrophysical neutrinos with IceCube, we study the prospects for improved measurements of neutrinos of astrophysical origin with a surface array combined with IceCube or a next generation neutrino detector at the South Pole. Backgrounds in astrophysical neutrino searches are reduced by tagging muons and neutrinos of atmospheric origin by detecting the accompanying air shower. We consider various air shower array configurations, including different array layouts and detector station sizes, and study their air shower detection efficiency. We will report on the various approaches we have used to understand the capabilities of such arrays.

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1. Introduction

A crucial technique in the IceCube discovery of astrophysical neutrinos [2] was to use the outer layers of the detector as an active veto against penetrating muons. This approach, however, effectively reduces the fiducial volume of the detector by about 50%, and requires an additional cut on the observed charge, corresponding to an energy threshold of 30 TeV. An alternative possibility would be a dedicated veto array on the ice surface, tagging atmospheric muons by detecting the accompanying air shower. This approach would make it possible to use the full detector as target material, and in searches for muon neutrinos even the ice above the detector, since high-energy muons can reach the detector after being created several kilometers away. In fact, IceTop, the surface component of the IceCube Neutrino Observatory [3], is used as a veto array in several analyses [4, 5, 6], although its limited size covers only a small solid angle of the upper hemisphere (see Fig. 1). The prospects for a larger array are particularly interesting in the context of the planned extension IceCube-Gen2 [7]. If possible, a surface veto should be large enough to allow the observation of the Galactic Center and have an energy threshold that is low enough to study the astrophysical neutrino flux at lower energies than to date. A summary of motivations and techniques for such a surface array can be found in [8].

The performance of a prospective array and its optimal geometry have to be estimated by simulations. Ideally, a full simulation should be generated, covering all aspects from the interaction of the cosmic ray in the atmosphere to the detector response including a simulation of the electronics. Such a full simulation is however very resource-intensive and cannot be done with high statistics for a large number of configurations, as desired in a design study.

Therefore, we follow two complementary approaches in parallel. We have developed a fast Monte Carlo simulation based on lateral distribution functions (section 2). This simulation uses only average shower properties, even though for a highly efficient veto exceptional showers become important. Nonetheless, with this approach we obtain a reasonable estimate of the performance of a large number of different array configurations within a short time. These simulations can guide the design process.

The parallel approach is a simulation chain based on detailed simulations of extensive air showers using CORSIKA [9], which includes simulating their interaction with various detector array configurations (section 3). While this approach is more resource-intensive, it allows the study of rare air showers. Examples are showers in which the primary cosmic ray interacts very deep in the atmosphere, or production of highly energetic muons in exotic processes. In this case

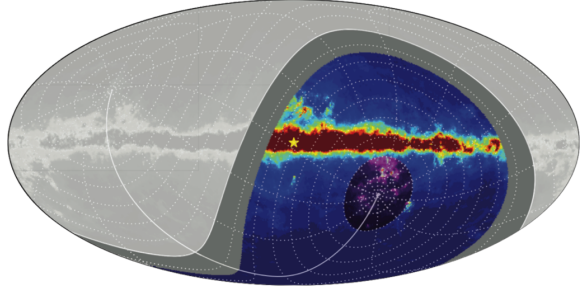


Figure 1: Skymap in galactic coordinates of a GALPROP π^0 1.1 TeV simulation. The colored area shows the approximate region of the sky covered by the veto arrays studied in this work, the purple region indicates coverage with the IceTop array. The yellow star marks the Galactic Center, the dark gray band the remaining region above the horizon that is not covered by the surface veto. Plot taken from [1].

the footprint of the air shower, and therefore the detection probability on the surface, can be very small while still producing muons that reach IceCube. This approach enables the study other exotic processes that could produce a background.

2. LDF-based Monte Carlo simulation

2.1 Lateral Distribution Functions

The basis of the simulation described here are lateral distribution functions – empirical parameterizations of air showers – which describe the particle density in an air shower as a function of the lateral distance to the shower core.

An important aspect of a detector at the South Pole is that with time it will be gradually buried by drifting snow. The IceTop array observes attenuation of the electromagnetic component of the air showers, getting stronger with time [3]. A future surface veto array must therefore be either efficient enough to rely on the muonic component only, or constructed such that it is not buried by snow (e.g. on stilts above the surface). Therefore, we use separate formulations for the density of electrons and muons, taken from [10]. Their sum is equivalent to the classic formulation by Greisen [11]. Fig. 2a shows the individual functions for muons and electrons and their sum, together with the Greisen curve for a 300 TeV shower at the altitude of the South Pole (2835 m). It should be noted that the parametrizations used are quite old and will be superseded by more recent results from IceTop [12, 13] in the future.

While this approach could in principle also be applied to heavier primaries, the results presented here assume pure proton primaries. On the other hand, the approach by construction ignores variations in the shower development. Rare showers, where for example a large fraction of the primary energy is transferred to a single muon, cannot be simulated with this setup. Such events become important for a high-efficiency veto, and more detailed simulations are needed (see section 3).

2.2 Detection efficiency

To obtain the air shower detection efficiency for a given array geometry, the LDFs are evaluated at the positions of the simulated detector stations. From the particle density, a Poissonian probability to see a “hit” in each station is calculated, taking into account the station’s surface area. Fig. 2b shows the footprint of a simulated 300 TeV shower with a zenith angle of 8° on the IceTop detector. With increasing shower inclination, the thickness of the detectors becomes important: the sensitive area of thin detectors (e.g. scintillator panels) is much smaller for very inclined showers than for vertical ones. More spherical detectors (e.g. water/ice Cherenkov tanks) have a more uniform sensitivity. This effect is also taken into account in the simulation.¹

For a given energy and zenith angle, many similar showers are simulated. To emulate the conditions of a dedicated veto array and to save computation time, zenith angle and radial position are chosen in conjunction, such that high-energy muons from the shower pass through IceCube.

¹This disadvantage of scintillation detectors can be partly compensated by tilting the panels increasingly with radius. This technique restores the apparent size for inclined showers, at least for detector stations close to the shower axis, but is currently not taken into account in the simulation.

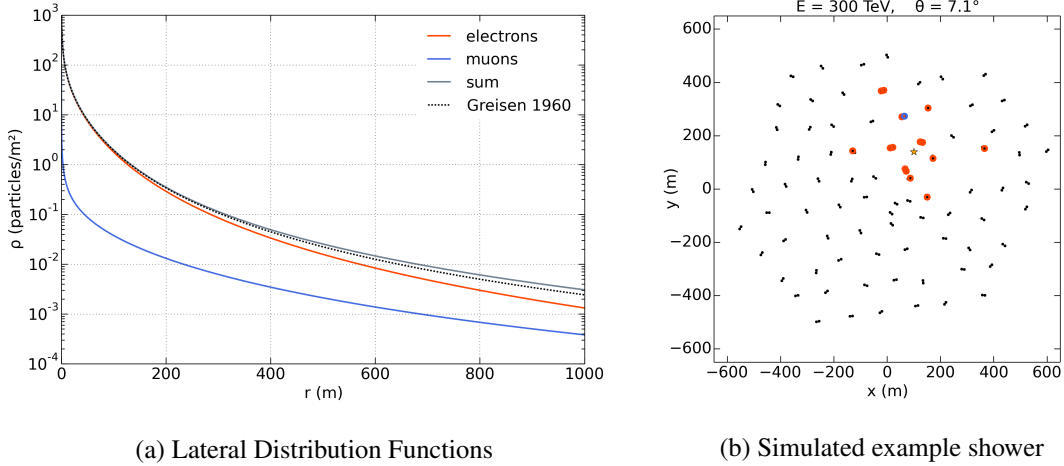


Figure 2: LDFs used in this study and the simulated footprint of a 300 TeV shower on the IceTop array. The tank marked in blue has registered a muon, tanks in red have detected the electromagnetic part of the shower. The orange star marks the surface position of the shower core.

For each shower, the whole array is considered “triggered” if at least one station has seen a hit. The detection efficiency is then the ratio of triggered showers to all simulated showers.

2.3 Geometries

Three example geometries are studied in detail here. The first (Fig. 3) is an extension of the existing IceTop array, called *IceVeto* [1]. It consists of IceTop in the center and 943 additional detector stations, each of the same size as one original IceTop tank. The new detectors are arranged in concentric rings around IceTop. In order to achieve a detection efficiency that does not depend strongly on the inclination of the air shower, while using as few tanks as possible, the distance between the rings increases with radius, while the distance between tanks along the same ring stays approximately the same. The array has a maximum radius of 6.7 km, corresponding to a zenith angle as seen from IceCube of $\theta \approx 75^\circ$, and thus covers the elevation of the Galactic Center at $\theta = 61^\circ$.

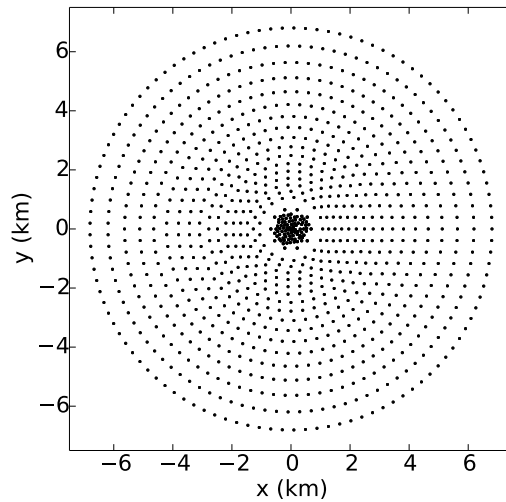


Figure 3: The IceVeto geometry.

The other two geometries are simpler designs. In these cases, the array covers a square area with a side of 14 km, such that for IceCube or a next-generation detector in the center, the array is again large enough to cover the elevation of the Galactic Center. The individual stations are

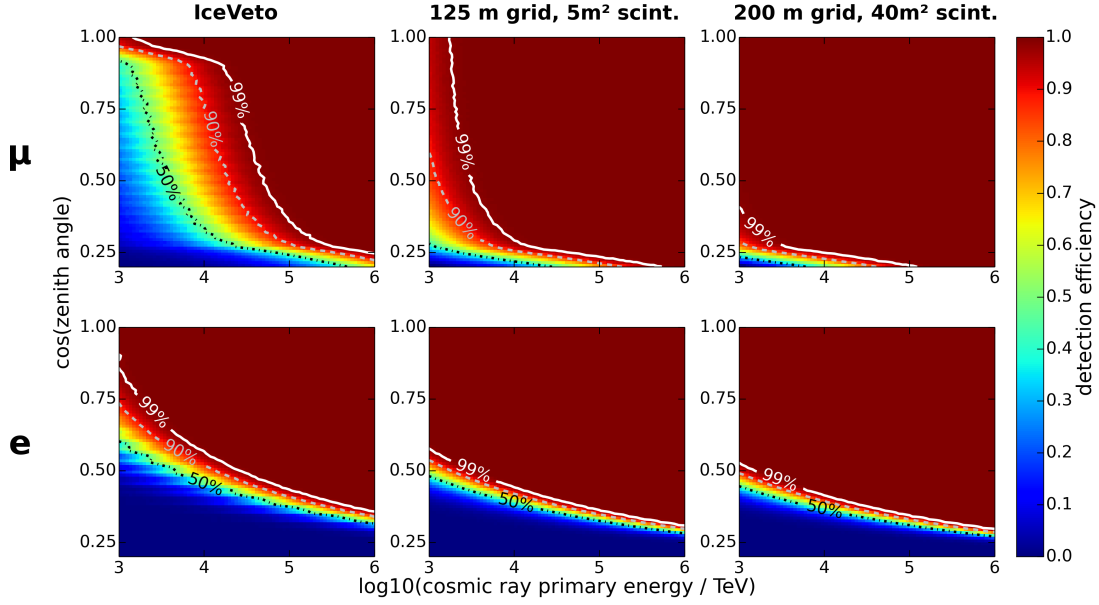


Figure 4: Detection efficiencies for IceVeto (left), the 125 m grid geometry (middle), and the 200 m grid geometry (right), separate for muons (top) and the electromagnetic shower component (bottom). The lines indicate detection efficiencies of 99% (white, solid), 90% (gray, dashed), and 50% (black, dot-dashed).

arranged on a regular rectangular grid. Two different combinations of detector area and station spacing are studied. The first variant has a dense grid with a spacing of 125 m, resulting in a total number of roughly 12500 stations. Each station consists of a 5 m² scintillator panel of 1 cm thickness. An important parameter of a surface array is the *fill factor*, the ratio of sensitive area to total surface area. This design achieves a fill factor of 3.2×10^{-4} . The IceVeto geometry, for comparison, has a total fill factor of about 2×10^{-5} , albeit with a radially varying density. The second grid variant has a larger spacing of 200 m, resulting in 4900 stations, but assumes extremely large scintillator panels with an area of 40 m² to achieve a fill factor of 1×10^{-3} .

2.4 Results

The detection efficiency is calculated at 6000 test points on a grid of primary energies between 1 PeV and 1 EeV ($3.0 < \log(E_{prim}/\text{TeV}) < 6.0$) and zenith angles between 0° and 78° ($1.0 > \cos(\theta) > 0.2$). For each point in this parameter space, 10000 air showers were simulated. Fig. 4 shows the resulting detection efficiency maps as function of zenith angle and primary proton energy, together with the contour lines of 99%, 90%, and 50% detection efficiency.

For all geometries, the detection efficiencies for the electromagnetic part are larger than the muonic ones for very vertical showers, but show the characteristic fall-off towards larger zenith angles, where the large atmospheric depth causes the electromagnetic part of the shower to die out, and only the muons remain. The kink visible in the muon distributions at $\cos(\theta) \approx 0.27$ appears because for larger zenith angles the shower core positions are outside the array and only the outer parts of the showers hit the instrumented area. Similarly, the stripes in the IceVeto detection efficiencies are caused by the shower positions coinciding with the concentric rings of detector stations.

The IceVeto detection efficiencies exhibit another kink at very small zenith angles ($\cos(\theta) \approx 0.95$); this is where IceTop with its denser instrumentation becomes responsible for the shower detection. Overall, the IceVeto geometry becomes efficient from muons at primary energies above 10 PeV. The higher instrumentation density of the 125 m grid detector shifts the whole distribution towards lower energies by about one order of magnitude, and only the 200 m grid detector with its fill factor of $1000 \text{ m}^2 \text{ km}^{-2}$ is more than 99% efficient over almost the whole parameter space studied. If high detection efficiencies at energies below 1 PeV are desired, a dense instrumentation is needed.

3. CORSIKA-based MonteCarlo Simulation

As discussed in the introduction, one advantage of a detailed simulation of air showers and detector response is the possibility to study rare phenomena. With a proton-air interaction length of about 70 g cm^2 , a fraction of 10^{-3} primary protons survive to a depth of 490 g cm^2 . Compare that to the roughly 690 g cm^2 vertical depth of South Pole. Deep showers develop in a significantly denser atmosphere than average showers and hit the ice within a few interaction lengths of the first interaction. This reduces the probability that high-energy pions decay, and modifies the number and energy spectrum of the muons in the air shower. Conversely, primaries that interact high in the atmosphere develop on a less dense medium than average. Understanding the effects of these shower-to-shower fluctuations requires a detailed simulation of the cascading process.

In this study, 23 000 proton-induced air showers were simulated with energies between 10 TeV and 5 PeV and zenith angles less than 65° . We used CORSIKA with the Sibyll 2.1 high-energy interaction model [14]. The simulation included a simplified model of the detector response with various detector array configurations. We have considered an array of scintillation detectors, each one consisting of one 1 cm thick polypropylene scintillator panel of varying surface area laid flat on to the surface of the ice. The signal recorded at each scintillation detector is proportional to the energy loss in the detector according to Bethe's formula. The signal is expressed in units of *Vertical Equivalent Muon* (VEM), defined as the signal deposited by a 3 GeV muon crossing the detector vertically. With this convention, the threshold for recording a signal was set to 0.3 VEM. The flexibility of our setup will allow us to replace this simulation by a more detailed one in the future. In order to understand the effect of deep air showers, we simulated a small set of 2000 quasi-vertical ($\theta < 20^\circ$) proton-induced showers where the primary was forced to interact at points evenly distributed in depth between 0 and 500 g cm^2 .

3.1 Results

The air shower detection efficiency can also be expressed as a *passing fraction*, the fraction of air showers that do not trigger the veto array. This is shown in Figs. 5a and 5b in the case of four representative configurations and for vertical/inclined air showers. Using a simple scaling model, one expects the veto threshold to be proportional to the square of the array spacing and inversely proportional to the scintillator surface area. In other words, the *fill factor* described above. This implies that there is a trade-off between detector size and array spacing, but this is true only if the array spacing is comparable to the typical air shower footprint size. This can be seen in Fig. 5a, where decreasing array spacing and scintillator area while keeping the total fill factor constant produces a decrease in the passing fraction (light/dark blue points in Fig.5a). This is related to

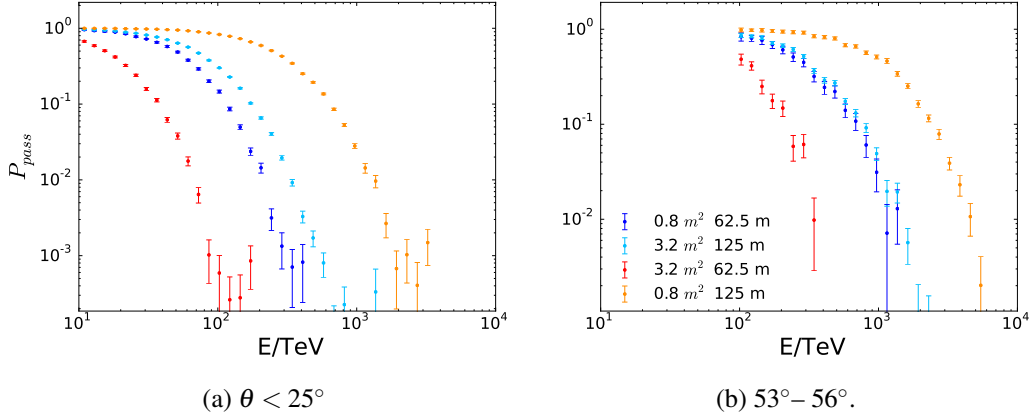


Figure 5: Passing fraction of quasi-vertical air showers ($\theta < 25^\circ$) and of showers arriving between 53° and 56° . We show array configurations that have a spacing of 62.5 m or 125 m and a scintillator surface area of 0.8 m^2 or 3.2 m^2 . The light and dark blue sets of points are configurations with equal fill factor, the change in detector spacing being offset by a change in scintillator area. The fill factors for these configurations are 9.5×10^{-4} , 2.4×10^{-4} and 5.9×10^{-5} . For a discussion see text.

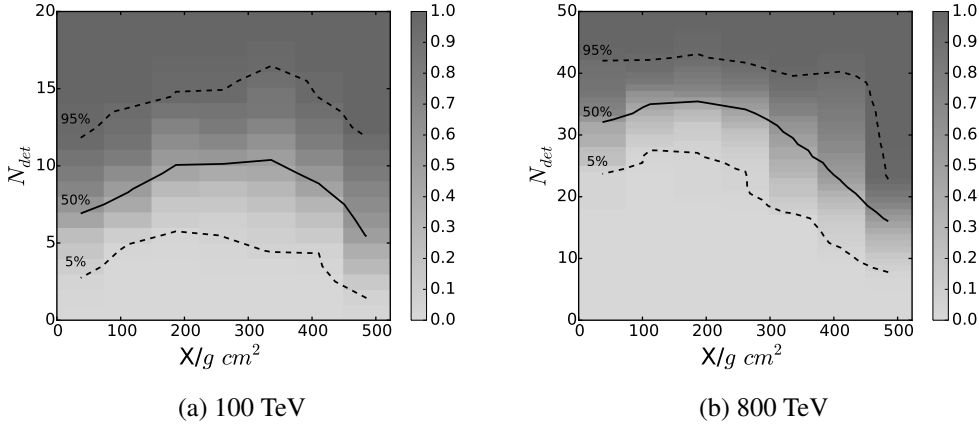


Figure 6: Fraction of air showers with number of detectors with signal smaller than N_{det} , as a function of the depth of first interaction of the primary cosmic ray X . The lines correspond to the 5%, 50% and 95% quantiles. Two primary energies are displayed: 100 TeV (left) and 800 TeV (right). Both correspond to 3.2 m^2 scintillators in a regular triangular array with 62.5 m spacing.

the fact that the detection is dominated by the electromagnetic component of the air shower. By contrast, in Fig. 5b, where the air showers are dominated by the muon component, with a wider extent, the scaling holds.

The effect of the point of first interaction can be seen in Figs. 6a and 6b. The highest point of the curve corresponds to events in which the shower maximum lies at the surface. One can clearly see that deeper and shallower showers have a lower number of detectors registering a signal. At 800 TeV, the fraction of showers not detected by the veto are mostly produced at large depths, while at 100 TeV some of them are produced at small depths. This is for quasi-vertical air showers, but one expects a similar behavior for inclined air showers.

The passing fraction was estimated down to values around 10^{-3} , as seen in Fig. 5. In order to probe smaller values, more efficient ways of generating simulated datasets are needed. The passing fraction is determined mostly by the primary point of first interaction, as shown in Fig. 6. It is also affected by the subsequent development of the air shower. We are working on algorithms that exploit this fact in order to efficiently simulate showers that have a small probability to be detected by the surface veto.

4. Summary

There are qualitatively two distinct *regimes* for a surface veto: vertical ($\cos(\theta) \gtrsim 0.5$) and inclined ($\cos(\theta) \lesssim 0.5$) (Fig. 4). Focusing on one or the other leads to different detector design decisions. In the vertical case, the threshold is determined by the sensitivity to the electromagnetic component of the air shower, and it depends on the snow accumulation. In this case, thresholds as low as 100 TeV seem to be attainable with a fill factor of 10^{-3} , and reasonable array spacing and size (5). In the inclined case, the threshold depends on the sensitivity to muons and it is larger by about a factor of 4 at 55° . In both cases a detailed study must be done in order to estimate the energy at which the detectors reach a passing fraction of 10^{-4} to 10^{-6} . A detailed simulation of air showers and the in-ice detector response are needed to understand the effect of rare events.

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