Neutrino mass ordering obfuscated by the NSI

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The current data of the two long-baseline experiments T2K and NOνA indicate a 2.4σ preference of normal neutrino mass ordering over the inverted mass ordering in case of standard 3ν analysis. However such a claim does not remain unaltered in presence of neutrino non-standard interactions (NSI) involving e − τ sector. We find that the sensitivity towards the neutrino mass ordering gets completely lost. So a robust claim of the neutrino mass ordering requires a careful consideration of the impact of NSI.

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1. Introduction

Determination of the neutrino mass ordering (NMO) is one of the biggest priorities in the intensity frontier of high energy particle physics. To accomplish that goal a lot of efforts are being put together with the atmospheric, solar, reactor, and accelerator neutrinos. In the standard 3-flavor framework, NMO is defined to be normal if \( m_1 < m_2 < m_3 \), and inverted if \( m_3 < m_1 < m_2 \), where \( m_1, m_2, \) and \( m_3 \) are the masses of the three neutrino mass eigenstates \( \nu_1, \nu_2, \) and \( \nu_3 \) respectively. Interestingly, two long-baseline experiments T2K and NO\text{vA} are playing a leading role in this direction and provide a \( \sim 2.4\sigma \) indication in favor of normal ordering (NO) which we find in this work. In addition, we examine how the situation looks like in presence of non-standard interactions (NSI) of neutrinos with a special focus on the non-diagonal flavor changing type \( \varepsilon_{e\tau} \) and \( \varepsilon_{e\mu} \). We find that the present indication of NO in the standard 3-flavor framework gets completely vanished in the presence of NSI of the flavor changing type involving the \( e - \tau \) flavors.

2. Theoretical framework

NSI may represent the low-energy manifestation of high-energy physics involving new heavy states (for a review see [1, 2]) or, alternatively, they can be mediated via the light mediators [3, 4]. As first recognized in [5], NSI of type neutral current (NC) can modify the dynamics [5, 6] of the neutrino (for a review see [1, 2]) or, alternatively, they can be mediated via the light mediators [3, 4]. As first recognized in [5], NSI of type neutral current (NC) can modify the dynamics [5, 6] of the neutrino

\[
\mathcal{L}_{\mathrm{NC-NSI}} = -2\sqrt{2} G_F \varepsilon_{\alpha\beta} \overline{f}_\alpha \gamma^\mu P_L \gamma_\beta \left( \overline{f}_\mu P_C f \right),
\]

where \( \alpha, \beta = e, \mu, \tau \) refer to the neutrino flavor, \( f = e, u, d \) indicates the matter fermions, superscript \( C = L, R \) denotes the chirality of the \( ff \) current, and \( \varepsilon_{\alpha\beta} \) are the strengths of the NSI. The hermiticity of the interaction requires, \( \varepsilon_{\beta\alpha}^* = (\varepsilon_{\alpha\beta}^C)^* \). For neutrino propagation in Earth matter, the relevant combinations are

\[
\varepsilon_{\alpha\beta} = \sum_{f=e,u,d} \varepsilon_{\alpha\beta}^f \frac{N_f}{N_e} = \sum_{f=e,u,d} \left( \varepsilon_{\alpha\beta}^{fL} + \varepsilon_{\alpha\beta}^{fR} \right) \frac{N_f}{N_e},
\]

where \( N_f \) is the number density of fermion \( f \). For the Earth, we can assume neutral and isoscalar matter, implying \( N_u \approx N_\mu = N_e \), in which case \( N_u \approx N_d \approx 3N_e \). Therefore, \( \varepsilon_{e\beta} \approx \varepsilon_{e\beta}^e + 3 \varepsilon_{e\beta}^u + 3 \varepsilon_{e\beta}^d \). In presence of NSI, the effective Hamiltonian for neutrino propagation gets modified in matter, which in turn changes the probability of flavor conversion. For more details please see [7].

In this work, we only focus on the non-diagonal NSIs \( \varepsilon_{e\mu} \) and \( \varepsilon_{e\tau} \) along with their associated CP-phases \( \phi_{e\mu} \) and \( \phi_{e\tau} \) respectively. We recall that the current upper bounds (at 90\% C.L.) on the two NSI under consideration are: \( |\varepsilon_{e\mu}| \lesssim 0.12 \) and \( |\varepsilon_{e\tau}| \lesssim 0.36 \) as reported in the review [1], which refers to the global analysis [8]. These limits are basically corroborated by the more recent analysis [9] (for more details please refer to [7]). It is worth to mention that we do not focus on \( |\varepsilon_{e\tau}| \) as it has very strong upper bound \( |\varepsilon_{e\tau}| < 8.0 \times 10^{-3} \) [10]. Let us now consider the appearance probability relevant for the two LBL experiments T2K and NO\text{vA} under consideration. In the presence of NSI, the appearance probability can be approximately written as a sum of three terms [11], \( P_{e\mu} \approx P_0 + P_1 + P_2 \). The first two terms correspond to the standard 3-flavor probability while the third one arises due to NSI. Now considering the mixing angle \( \theta_{13} \), the parameter \( v(\equiv 2V_{CC}E/\Delta m_{31}^2) \) and the coupling \( |\varepsilon| \) are of the same order of magnitude \( O(\varepsilon) \) and small (\( \sim 0.2 \))
1, while \( \alpha \equiv \frac{\Delta m^2_{21}}{\Delta m^2_{31}} = \pm 0.03 \) is \( O(e^2) \), we can expand the above three terms as [12],

\[
\begin{align*}
P_0 &\approx 4 s_{13}^2 s_{23}^2 f^2, \\
P_1 &\approx 8 s_{13} s_{12} c_{12} s_{23} c_{23} \alpha f g \cos(\Delta + \delta), \\
P_2 &\approx 8 s_{13} s_{23} v |e| [\alpha f^2 \cos(\delta + \phi) + b h f \cos(\Delta + \delta + \phi)],
\end{align*}
\]

where \( \Delta \equiv \Delta m^2_{31} L/4E \) is the atmospheric oscillating frequency, \( V_{CC} = \sqrt{2} G_F N_e \) is the charged-current matter potential, \( L \) being the baseline and \( E \) the neutrino energy. For compactness, we have used the notation \( (s_{ij} \equiv \sin \theta_{ij}, c_{ij} \equiv \cos \theta_{ij}) \), and following [13], we have introduced

\[
\begin{align*}
f &= \frac{\sin[(1 - v)\Delta]}{1 - v}, & g &= \frac{\sin v \Delta}{v}, \\
a &= s^2_{23}, & b &= c^2_{23}, & \text{if} & \quad e = |v_{e\mu}| e^{i\phi_{e\mu}}, \\
a &= s_{23} c_{23}, & b &= -s_{23} c_{23}, & \text{if} & \quad e = |v_{e\tau}| e^{i\phi_{e\tau}}.
\end{align*}
\]

In the expressions given in Eqs. (3)-(5) for \( P_0, P_1 \) and \( P_2 \), the sign of \( \Delta, \alpha \) and \( v \) is positive (negative) for NO (IO). For antineutrinos, the signs in front of the CP-phases and the matter parameter \( v \) are flipped in Eqs. (3)-(5).

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**Figure 1:** Bievents plot for the T2K (left panel) and NOvA (right panel). \( \delta \) is the running parameter on each ellipse in the range \([0, 2\pi] \). The red (blue) star represents the best fit points for SM, NO (IO) determined by fitting the combination of the two experiments, and similarly the squares correspond to SM+NSI case. This figure has been taken from [7].

### 3. Discussion at the level of the bievents plots

Before we start the discussion, it is important to mention that for all the analyses presented here we have used the current data of T2K and NOvA extracted from [14] and [15]. In all our numerical simulations we have fixed the solar parameters \( \theta_{12} \) and \( \Delta m^2_{31} \) at the best fit point of the global analysis [16], while the reactor angle \( \theta_{13} \) has been marginalized away with a strong 3.7\% 1\( \sigma \) prior on \( \sin^2 \theta_{13} = 0.0216 \). For more details about the data sets and analysis procedures please see [7].

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1Here we assume that the numerical analysis presented here points toward best fit values in the range \( |e| \sim 0.1 - 0.4 \).
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4. Numerical Results

Fig. 2 shows the allowed regions determined by the combined analysis of T2K and NOνA, in the plane spanned by $|\epsilon_{e\tau}|$ and $\phi_{e\tau}$. Left (right) panel corresponds to NO (IO). The red star in each panel denotes the best fit value. We have marginalized away the CP-phase $\delta$, the mixing angles $\theta_{13}$ (with prior) and $\theta_{23}$, and the squared-mass $\Delta m^2_{31}$. It is evident from the left panel that in case of NO, there is only $0.7\sigma$ level preference of non-zero value of $|\epsilon_{e\tau}|$ with best fit value approximately 0.09. Now in case of IO, we can see from the right panel there is a $2.5\sigma$ level strong preference...
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Figure 3: One dimensional $\Delta \chi^2$ projections of $\delta$ and $\theta_{23}$ for SM as well as SM+NSI framework, determined by the combination of T2K and NO\nuA. This figure has been taken from [7].

of non-zero value of $|\epsilon_{e\tau}|$ with best fit value approximately 0.39. The associated CP-phase $\phi_{e\tau}$ has the best fit value $1.42\pi$ ($1.30\pi$) for NO (IO).

In Fig. 3, we show the one-dimensional projections on two oscillation parameters $\delta$ and $\theta_{23}$ in the SM and SM+NSI framework. The allowed regions shown here are determined by the combined analysis of T2K and NO\nuA. Solid (dashed) lines correspond to NO (IO). The undisplayed parameters in each plot have been marginalized away. One can observe that in the SM case there is a preference for NO at the $\sim 2.4\sigma$ level. However this preference gets completely washed out and there is no preference of any ordering in the presence of NSI. It is worth to mention that the reconstruction of $\delta$ deteriorates in the presence of NSI and similarly the preferences for a non-maximal mixing and that for the higher octant of $\theta_{23}$ with respect to the lower octant found in the SM sensibly decrease, which can be attributed to the fact that in presence of NSI the number of degrees of freedom is higher than the SM case. Let us now make some comments regarding the NSI involving the $e^{-\mu}$ sector. We have found that in this case NO is preferred over IO at the $2.5\sigma$ level similar to the SM case. Therefore, the ambiguity of the indication in favor of the NO appears only when we consider the non-standard interactions in the $e^{-\tau}$ sector. For more details please see [7].

5. Conclusions

In this work we have expounded the current data of T2K and NO\nuA in the presence of NSI involving the $e^{-\tau}$ ($\epsilon_{e\tau}$) and $e^{-\mu}$ ($\epsilon_{e\mu}$) sectors respectively. We found that the indication in favor of NO in SM gets completely vanished when one turns on the NSI with coupling strength ($\epsilon_{e\tau}$). It would be interesting to make the same analysis combining NO\nuA and T2K data with that of the existing atmospheric neutrino data. We also hope that the future high-statistics LBL experiments like DUNE and the atmospheric neutrino facilities might help to resolve this issue.

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References


